EXPERIMENTAL STUDY ON THE EFFECT OF MISFIT AND MISMATCH OF SHIP PLATING WELDS

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by

Robert **E.** Bebermeyer

B.S., Electrical Engineering, Michigan State University, **1992 M.S.,** Electrical Engineering, Michigan State University, **1993**

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Experimental Study on the Effect of Misfit and Mismatch of Ship Plating Welds

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Robert **E.** Bebermeyer

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ABSTRACT

Misfits and mismatches in the welding of ship hull plating may affect survivability after explosions, accidents, or other extreme external forces. Experiments, Slip Line Theory **(SLT),** and Finite Element Analysis **(FEA)** help to explain the necking, deformation, and mechanisms of fracture of misfit welded plating. The effect of misfits or offsets on both overmatched and evenmatched welds under tension are studied. The tension creates a moment about the offset weld causing the weld to rotate and the material around the weld to thin down, but strain hardening reduces the thinning that occurs and shifts deformation elsewhere away from the weld.

EH-36, a commercial medium strength steel now being used in Navy surface combatants, was tested. The overmatched **EH-36** misfit welds experienced rotation, minor thinning near the weld, and deformation elsewhere as predicted.

AL6XN, a new stainless steel with evenmatched welds, gave nearly the same results as the **EH-36.** There was a **3%** reduction in maximum applied force per area for the **30%** offset case, and an increase in the amount of thinning near the weld.

Thesis Supervisor: Tomasz Wierzbicki Title: Professor of Applied Mechanics

Thesis reader: Frank **A.** McClintock Title: Professor of Mechanical Engineering

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- **"** Dave Forrest, Principal Engineer, Bath Iron Works
- **"** Dean Brown, Welder, Bath Iron Works
- **"** CDR Tim McCoy, Project Officer for LPD **17**

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- **"** Steven Miley, Metro Machines
- **"** Jack Bower, Lehigh University
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NOMENCLATURE

Figure **1.** General schematic for nomenclature

Some of the general nomenclature to be used in this paper is,

L **=** Length of plate from origin to end of plate in x-direction

 λ = Wavelength of plate under tension = $\sqrt{EI/T}$

- T **=** Tension force reaction to displacements applied to ends of the plate
- V **=** Shear force in plate
- M **=** Bending moment about the plate
- **Mg =** Bending moment about the plate at the grips
- h **=** plate thickness in **y** direction
- **E =** Modulus of elasticity of specimen
- **^I=** Area moment of inertia of specimen cross section
- w **=** Width of specimen

CHAPTER 1 INTRODUCTION

1.1 NEED FOR THIS RESEARCH

This paper arose from the need to analyze the benefits of precision manufacturing with regards to welding with reduced misfit of ship hull plating. The Office of Naval Research (ONR) has expressed interest in the possible benefits of precision welding as it applies to both mid-grade steels (such as the commercial **EH-36** currently being used in the construction of the LPD **17** ship class) as well as new types of stainless steels, in particular **AL6XN.**

1.2 DEFINITION OF PROBLEM

The problem to be analyzed is concerned with the misfit of ship hull plating when welded. We can analyze the weld region as the hull plates on either side are placed in tensions due to an applied displacement, possibly resulting from an

underwater explosion **(UNDEX).** The weld region will tend to rotate, based on Slip Line Theory **(SLT) [2,7,10]** and Finite Element Analysis **(FEA),** thereby causing the region to neck. The necking region would then have a reduced strength and be more likely to become an area of increased deformation and possible failure. This thesis will look at the forces involved for the misfit of common mild strength steel as well as some newer stainless steels.

The allowable offsets are:

Table 1. Allowable butt weld offsets [8]

1.3 PREVIOUS WORK

Previous work on this research was done **by** Weaver and documented in a thesis titled 'Ship Hull Plating Weld Misalignment Effects when Subjected to Tension' **[7].** This thesis showed, using **FEA,** the importance of a deformed geometry in promoting final fracture **by** slip from the toe of the weld in non-hardening materials. Graphical results indicated that for a non-hardening material with an

offset of **15%** of the plate thickness, weld rotation of 4-60 and local plate thinning of 4-5% in the region next to the weld can be expected. **A** test specimen with a 15% offset and a simulated weld region, showed a 4⁰-weld rotation but did not provide the plane-strain condition and failed **by** necking away from the weld. **A** redesign of specimens and actual welding of specimens was suggested.

1.4 STRUCTURE OF THIS THESIS

The thesis begins with an introduction explaining the needs for the analysis of welding of misfit ship hull plating. Analysis and numerical modeling of **SLT,** geometric modeling, and a look at **FEA** follow next. Then the setup of the experiment and design of the specimen are discussed. This section includes all of the analytical results required to create the experiment. Finally presented is the summary of the results of the experiment and the discussions and conclusions that were found.

CHAPTER 2 ANALYTICAL AND NUMERICAL MODELING

2.1 MODELING OF THE WELD REGION

The **U.S.** Navy is starting to use commercial grade steel in its new ship designs. One example of this is the use of medium strength commercial steel, **EH-36,** being used in construction of the new **LPD-17** ship class. In over-matched welded joints, the hardness of the weld is greater than the base metal. The region between the weld and the base metal is called the heat-affected zone (HAZ) as shown in Figure 2, where h is the plate thickness and m is the fractional percentage of the offset based on the plate thickness. Being next to the base metal it is cooled rapidly and is usually harder (see Figure **3).** It is currently normal ship building practice to use over-matched welds with the **EH-36 [9],** which allows us to view the weld and HAZ as a rigid body with respect to the

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base metal. It is also possible to include the HAZ region as part of the weld region since the HAZ is very small with respect to the thickness of the plating.

Figure 2. Weld and HAZ regions

Figure 3. EH-36 weld hardness profile [5]

2.2 SLIP LINE THEORY

During application of slip line theory, we will assume a rigid-perfectly plastic material based on the small fraction of elastic strain that occurs at yield. We can model the stress strain curve as shown in Figure 4.

Figure 4. Stress-Strain curves of material

Thus, the following initial assumptions are made:

- Plane strain condition exists
- **"** Elastic-strains neglected (Non-hardening material)
- Rigid-perfectly plastic behavior

It follows from McClintock [2]: a maximum shear stress, **k,** acts at **+450** from the free surface shown. The α and β slip lines are mutually perpendicular curved

lines locally parallel to the directions of the maximum shear stress, such that $\sigma_{\alpha\beta}$ =k. They are chosen so that the local direction of maximum principal stress lies 45° counter-clock-wise (ccw) from the α -line toward the β -line. It has also been shown **by** Weaver **[7]** that the two active slip line fields approach a neutral axis for welded plates with misfits.

By assuming an applied displacement at the ends of the plates, the problem can be modeled as a far field force P acting through the weld's center. **By** summing the forces and moments about a point **0** shown in Figure **5,** we arrive at the following equations:

$$
\sum F_x = -P + 2k(h - y_{na}) - 2ky_{na} = 0
$$
 (2.2.1)

$$
\sum M_o = -P\left(\frac{1}{2} h + y_p - y_{na}\right) + \frac{1}{2} 2ky_{na}^2 + \frac{1}{2} 2k(h - y_{na})^2 = 0
$$
 (2.2.2)

Figure 5. Free Body Diagram of weldment

From this set of equations we can solve for the location of the neutral axis, which ends up being a function of the thickness (h) and the offset (mh). The neutral axis is represented then as:

$$
y_{na} = \frac{1}{2}(h + mh - \sqrt{h^2 + m^2h^2})
$$
 (2.2.3)

Note that this equation is a correction to what was originally presented **by** Weaver **[7].**

2.3 GEOMETRIC MODELING

As demonstrated by Weaver [7], the software program DELTACAD[®] was used to provide accurate geometrical and graphical solutions. An applied displacement acts as an externally applied force, P, and the offset of this line of action imposes a moment that tends to rotate the weld. This removes some of the offset, shifting the neutral axis down, and causing the resulting stress components along the rigid body interface closer to a line of action through the center of the weld.

It is assumed the deforming top and bottom surfaces remain straight. However, since the neutral axis is shifting down, the affected top surface becomes longer, resulting in a small curved section at the left end of the slip line field shown. This effect is considered small and negligible.

It is evident that some thinning occurs in the region next to the weld. However, the resulting stresses acting on the interface between the slip line field and the

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weld are not yet in equilibrium. The center of the slip line face in the slip field is lower than the center of the weld. Further rotation of the weld is necessary to reach equilibrium.

For an offset of **30%,** a weld rotation of **7** degrees is expected, while for an offset of **15%,** a weld rotation of 4 degrees is expected.

2.4 FINITE ELEMENT ANALYSIS

Finite element analysis was also conducted on the rigid-perfectly plastic model to verity both the slip line theory and the experimental data. These finite element solutions are based on work done **by** Teng **[6].** The following properties of the base metal and weld metal were initially assumed based on Weaver **[7]** and Teng **[6]:**

For **EH-36** and **AL6XN,** we have:

Table 2. Assumed Material Properties for ABACUS®

These values were chosen to mimic a rigid-perfectly plastic, nearly incompressible, model. **A** displacement was applied at each end of the model while the center of the weld was fixed. The output from the finite element program **ABACUS®** is shown in Figure **6** for the case of **15%** offset. The neutral axis is easily visible as well as the slip line fields and bands of shear.

Figure 6. 15% offset with shear bands forming near weld

CHAPTER 3 EXPERIMENTAL PROCESS

3.1 STATEMENT OF PROBLEM

3.1.1 Boundary Conditions for Service and Testing Conditions

Our specimens consist of two pieces of steel that have been welded together with an offset present at the weld. The specimen will then have a displacement applied to each end to test for failure mechanisms. The line of action of the reactionary tension, T, imposes a moment that tends to rotate the weld. This removes some of the offset, shifting the neutral axis down, and causing the resulting stress components along the rigid body of the weld closer to the line of action through the center of the weld. See the free body diagram in Figure **7.**

Figure 7. Free Body Diagram of center weld region

We will then need to compare the boundary conditions from the service condition with those from the test condition.

We will start out looking at the in-service schematic in Figure **8.**

Figure 8. In service schematic

Due to symmetry we can just look at the right half. The figure shows the service condition before and after the displacement is applied as seen in Figure **9.** The displacement is represented **by** the tensile force, T.

Figure 9. Before and after displacement applied to service condition

The bending shown in figures **9, 10,** and **11,** is exaggerated here to illustrate the slight bend that will occur as the weld rotates.

The specimen can be seen in the test condition as well. Figure **10** shows both before and after the displacement is applied.

Figure 10. Before and after displacement applied to test condition

The specimen (plate) is under tension (T).

 $\mathcal{O}(\mathcal{O}(\log n))$

From the analysis of the free body diagram we have the following differential equation [3] for the specimen deflection, $v(x)$, which is:

$$
EI \frac{d^4 v(x)}{dx^4} - T \frac{d^2 v(x)}{dx^2} = 0 \quad \text{for} \quad 0 \le x \le L \tag{3.1.1}
$$

where T is the applied tensile force. The general solution to this differential equation is, in terms of wavelength,

$$
\lambda = \left(\frac{EI}{T}\right)^{1/2} \tag{3.1.2}
$$

Given **by:**

$$
v(x) = B_1 + B_2 x + B_3 e^{x/\lambda} + B_4 e^{-x/\lambda}
$$
 (3.1.3)

Four boundary conditions for our specimen are:

 \overline{a}

At $x=0$:

Bending Moment =Tension ***** moment arm,

$$
EI \frac{d^2 v(x=0)}{dx^2} = T \frac{mh}{2}
$$
 (3.1.4)

Deflection is Maximum at the origin,

$$
v(x = 0) = v_{\text{max}} = \frac{mh}{2}
$$
 (3.1.5)

At x=L:

Zero Deflection at the grips,

$$
v(x = L) = 0
$$
 (3.1.6)

Zero Slope at the grips,

$$
\frac{dv(x=L)}{dx} = 0
$$
\n(3.1.7)

From equation **(3.1.3)** we can calculate the first and second derivatives of the deflection function,

$$
\frac{dv}{dx} = B_2 + (1/\lambda)B_3 e^{x/\lambda} + (-1/\lambda)B_4 e^{-x/\lambda}
$$
\n(3.1.8)

and,

$$
\frac{d^2v}{dx^2} = (1/\lambda)^2 B_3 e^{x/\lambda} + (-1/\lambda)^2 B_4 e^{-x/\lambda}
$$
\n(3.1.9)

Substituting the above quantities into the four boundary conditions, as seen in Appendix **D** results in:

$$
B_3 + B_4 = \frac{mh}{2}
$$
\n
$$
B_1 + B_3 + B_4 = \frac{mh}{2}
$$
\n
$$
B_1 + B_2L + B_3e^{L/\lambda} + B_4e^{-L/\lambda} = 0
$$
\n
$$
B_2 + \frac{1}{\lambda}B_3e^{L/\lambda} - \frac{1}{\lambda}B_4e^{-L/\lambda} = 0
$$
\n(3.1.10)

Unknown in equation (3.1.10) are B_1 , B_2 , B_3 , and B4, while T, E, I, L, λ , and h are all known or measurable quantities.

This leaves us with **4** equations and 4 **unknowns,** so we can solve for each variable in terms of our known quantities. This can also be done using matrix algebra, math programs such as MathCad, or **by** hand calculations. The coefficients are,

$$
B_{1} = \frac{mh}{2} (1-1) = 0
$$
\n
$$
B_{2} = \frac{1}{\lambda} [B_{4}e^{-L/\lambda} - B_{3}e^{L/\lambda}] = \frac{1}{\lambda} [(\frac{mh}{2} - B_{3})e^{-L/\lambda} - B_{3}e^{L/\lambda}]
$$
\n
$$
B_{2} = \frac{1}{\lambda} [\frac{mh}{2}e^{-L/\lambda} - \frac{\frac{mh}{2}e^{-L/\lambda}(1 + \frac{L}{\lambda})}{e^{L/\lambda}(-1 + \frac{L}{\lambda}) + e^{-L/\lambda}(1 + \frac{L}{\lambda})}(e^{L/\lambda} + e^{-L/\lambda})]
$$
\n
$$
B_{3} = \frac{\frac{mh}{2}e^{-L/\lambda}(1 + \frac{L}{\lambda})}{e^{L/\lambda}(-1 + \frac{L}{\lambda}) + e^{-L/\lambda}(1 + \frac{L}{\lambda})}
$$
\n
$$
B_{4} = \frac{mh}{2} - B_{3} = \frac{mh}{2} - \frac{\frac{mh}{2}e^{-L/\lambda}(1 + \frac{L}{\lambda})}{e^{L/\lambda}(-1 + \frac{L}{\lambda}) + e^{-L/\lambda}(1 + \frac{L}{\lambda})}
$$
\n(3.1.11)

All of the coefficients are functions of known values, and most notably are a function of L/λ . Recalling our original equation, our resulting equation is,

$$
v(x) = B_2 x + B_3 e^{x/\lambda} + B_4 e^{-x/\lambda} \quad , \tag{3.1.12}
$$

where all the coefficients (B₂, B₃, and B₄) are now all solved for.

3.1.2 Evaluating the Service Condition

For the Service Condition, we have a very long bar where $L \rightarrow \infty$ (with respect to the wavelength λ). As, $L \rightarrow \infty$, we can see that the boundary conditions must still hold.

BC-1: B₃ and B₄ still may have finite values (possibly zero) as $L \rightarrow \infty$.

$$
B_4 = \lambda^2 \frac{T}{EI} \frac{mh}{2} = \left(\frac{EI}{T}\right)^* \frac{T}{EI} \frac{mh}{2} = \frac{mh}{2}
$$

BC-2: B₁, B₃ and B₄ still may have finite values (possibly zero) as $L \rightarrow \infty$.

$$
B_1 + B_4 = \frac{mh}{2}
$$

BC-3 and BC-4: B₂ and B₃ must go to zero as $L \rightarrow \infty$, to prevent equation from blowing up.

Therefore, based on the terms expressed before, as $L \rightarrow \infty$,

$$
B_2 \to 0
$$

$$
B_3 \to 0
$$

and

$$
B_4 \to \frac{mh}{2}
$$

Now our general solution becomes:

$$
v(x) = B_1 e^{-x/\lambda} = \frac{mh}{2} e^{-x/\lambda}
$$
 (3.1.13)

3.1.3 Analysis of the Ratio of Shear Force to Tensile Force

One general measure of the difference between the service conditions to the testing conditions is the ratio of the shear force to the tensile force. We know that the weld and heat affected zone (HAZ) is a rigid body, and rotates during the application of a tensile force, T. **A** diagram of the free body of the weld and HAZ is as follows before and after rotation is shown below in Figure **11,** where **Mg** represents the moment near the grips.

Figure 11. Before and after displacement applied to free body

As L goes to infinity, then V should go to zero. This maintains a constant M

We are concerned with the elastic portion that is present near the origin to the grips (see Figure 12).

Figure 12. Free body diagram of infinite test case

T is a constant applied Force.

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The shear force, V, varies **a** function of x, giving us V(x).

We can evaluate the sum of the moments giving us,

$$
\sum M = Mg + M = VL \tag{3.1.14}
$$

which is composed of the bending moment near the origin,

$$
M = T\left[\frac{mh}{2}\right] \tag{3.1.15}
$$

and the bending moment near the grips,

$$
Mg = EI \frac{d^2v(x)}{dx} = EI \frac{d^2}{dx} \left(\frac{mh}{2}e^{-L/\lambda}\right) = EI \frac{1}{\lambda^2} \frac{mh}{2} e^{-L/\lambda}
$$
(3.1.16)

Using equation **(3.1.2),** we have,

$$
Mg = EI \frac{1}{\lambda^2} \frac{mh}{2} e^{-L/\lambda} = EI \frac{T}{EI} \frac{mh}{2} e^{-L/\lambda} = T \frac{mh}{2} e^{-L/\lambda}
$$
 (3.1.17)

Therefore,

$$
VL = Mg + M = T[\frac{mh}{2}] + T[\frac{mh}{2}]e^{-L/\lambda} = (1 + e^{-L/\lambda})T[\frac{mh}{2}]
$$
\n(3.1.18)

Rearranging the equation we have:

$$
\frac{V}{T} = (1 + e^{-L/\lambda}) \left[\frac{mh}{2} \right] \frac{1}{L}
$$
 (3.1.19)

Using equation (3.1.2) and knowing that our λ is small compared to L, therefore the exponential term disappears, giving us:

$$
\frac{V}{T} \approx \left[\frac{mh}{2}\right] \frac{1}{L}
$$
 (3.1.20)

Here, the variables (h, L, and T) are all constants. **If** we let L get larger, this would force V to get smaller. This checks out.

$$
\frac{V}{T} \approx \frac{mh}{2} \frac{1}{L} \tag{3.1.21}
$$

If we plug in our values for L, and h, we can get an idea of the relation between V and T. As before, m is the percent offset and is either **0%, 15%,** or **30%.**

$$
\frac{V}{T} \approx \frac{mh}{2L} = \frac{(m)0.25in}{2(6.0in)} = \frac{m}{48}
$$
 (3.1.22)

Shear will therefore be an extremely small component, and may be ignored.

3.2 DESIGN OF **SPECIMENS**

3.2.1 Determining Specimen Measurements

A top-view drawing of our specimen as well as a side profile is seen in Figure **13.**

Figure 13. Top view drawing of specimen measurements

Nomenclature:

Presumably there is no yielding in the center→Plane Strain Condition.

The **shoulders** are built wide to prevent yielding in the **shoulders.** We want yielding to occur in the neck region.

The Grip region is designed so that it will not yield in grips under plane strain, while yielding occurs in the neck region (2/sqrt3*YS represents Plane Strain **(PS)).**

> $P_g = (b_g)(h_g)(\frac{2}{\sqrt{3}} YS)$ **(3.2.1)**

Strength in the neck region $P_n = (b_n)(h_n)(\frac{2}{\sqrt{3}}TS)$ **(3.2.2)**

We want the neck region to fail in Plane Strain **(PS),** so the grip region should be "stronger" than neck region,

$$
P_s > P_n \tag{3.2.3}
$$

therefore, solving the equation as seen in Appendix **F,**

Strength in the grip region

$$
b_s > \left(\frac{2}{\sqrt{3}} \frac{TS}{YS}\right) (b_n)
$$
 (3.2.4)

We want the shoulder region to not yield in uniaxial stress while the neck region is yielding in plane strain, so the shoulder region should be "stronger" than the neck region,

Strength in the shoulder region $P_s = (b_s)(h_s)(YS)$, $(3.2.5)$

$$
P_g > P_n \tag{3.2.6}
$$

therefore, solving the equation as seen in Appendix F,

$$
b_g > \left(\frac{TS}{YS} \frac{h_n}{h_g}\right)(b_n)
$$
 (3.2.7)

This will ensure yielding in the neck, and to prevent yielding in the shoulders

APPLYING RESULTS FOR SPECIMEN CROSS SECTION

The grips have size limitations where: $(b_g)_{\text{max}} = 50$ mm = 1.968in It is important to have the largest **neck** region as possible, as this allows us to have increased thickness in the neck and still maintain the **plane strain** condition. Solving equations for b_n, using the given value for b_g in equation, and plugging in values for both tensile and yield stresses, and the heights we get the resulting widths. These widths are seen in a data table for each type of steel being tested **(EH-36** and **AL6XN)** for each of the three different offset conditions **(0%, 15%,** and **30%).** Also, a simplification can be made based on the fact that the grip region is sized such that $h_g = h_n + mh$, where $mh = offset$, $(m = %offset)$ and $h=h_n=h_s$. This gives us $h_g = h_n + mh = h_n + mh_n = (1+m)h_n$, and the final useful result is $\frac{n_n}{n} = \frac{1}{n_{\text{max}}}$. For our three different conditions, offsets of (0%, 15%, and h_{σ} 1+m

30%) give corresponding $\frac{h_n}{h_n}$ values of (1.0, 0.8696, 0.7692) respectively.

The Tensile and Yield Stresses for the two steels are:

Table 3. Material properties of EH 36 and **AL6XN**

For **EH-36** Mild Steel:

Table 4. Measurements for EH 36 at varying offsets

ä,

For **AL6XN** Stainless Steel:

Table 5. Measurements for AL6XN at varying offsets

In summary, assuming we want to make the largest specimen we can, our limiting factor is the size of the grips (in our case **50** mm **=1.96** in).

3.3 TESTING OF SPECIMENS

A MTS Model RF/200 floor standing testing machine was used to test the various specimens. The specimen plates were placed vertically into the opposing grips. They were fitted with an extensometer in the neck region around the weld. **A** constant displacement rate will be applied to the grips. The applied force on the load cell and the extensions were measured and recorded using computers.

The various specimens consisted of two different types of steel: a medium strength steel, **EH-36,** and a new stainless steel, **AL6XN.** Each type of steel had specimens with three different offsets: **0%, 15%,** and **30%.**

CHAPTER 4 RESULTS

4.1 EXPERIMENT CRITERION

4.1.1 Specimen Fabrication

A total of **18** specimens were tested consisting of **9** each of **EH-36** and **AL6XN,** respectively. For each of the three offset conditions **(0%, 15%, 30%), a total** of three specimens were created thereby giving the previously stated **9** specimens of each material. Based on the tolerances that exist in manufacturing the specimens, there is a slight variance about each of the presupposed offsets. For the **15%** case of the **EH-36,** the actual offsets ended up being **(16%, 15%** and 14.5%). Similar offset variance was noted for the remaining specimens. This phenomenon was anticipated and will help give realistic continuity to the acquired data and results.

The **EH-36** was machined in the Central Machining Plant at MIT into rectangular plates and then welded at Bath Iron Works. The **AL6XN** was both machined and welded at Metro Machines in Philadelphia, PA. The final specimens were waterjetted out at MIT.

4.1.2 Testing of the design specimens

Figure 14 shows **a sample of an EH-36** specimen with **a 30% offset. As** described previously, this specimen was placed in the MTS Model RF/200 floorstanding testing machine for analysis. It was fitted with an extensometer around

Figure 14. MTS testing machine with specimen in grips

the weld region. **A** steady velocity was then applied at a constant rate of **0.00167** in/sec (or **0.1** in/min). Shortly after the maximum loading was observed, and the loading started to decrease as the specimen began necking, the experiment was stopped. **A** schematic of each of the offset cases is shown in Appendix **G.**

4.2 EXPERIMENTAL RESULTS

4.2.1 EH-36 Experimental Results

The **EH 36** specimens produced relatively uniform data for the force/area vs. gauge strain graphs shown in Appendix H. The results are tabulated below in Table **6.**

Table 6. Summary of test results of EH 36 specimens

4.2.2 AL6XN Experimental Results

The **AL6XN** specimens produced relatively uniform data for the force/area vs. gauge strain graphs shown in Appendix H. The results are tabulated below in Table **7.**

Property	0% Offset	15 % Offset	30% Offset
Force/Area at Point of	54 kpsi	55 kpsi	53 kpsi
Yield			
Force/Area at Point of	115 kpsi	116 kpsi	108 kpsi
Necking			
Gauge Strain to Yield	.015	.014	.015
Gauge Strain to Necking	.15	.14	.16

Table 7. Summary of test results for AL6XN

4.2.3 Analysis of Experimental Results

The **EH-36** specimens exhibited typical mild strength steel properties. The applied force/unit area vs. gauge strain curves for all nine **EH-36** specimens are shown in Appendix H. **A** description of the data collection and processing is recorded in Appendix B. Similarly, the **AL6XN** specimens exhibited typical high strength stainless steel properties. The applied force/unit area vs. gauge strain curves for all nine **AL6XN** specimens are shown in Appendix **1.**

As the displacement was increasing and the material began yielding the weld/HAZ region rotated, as expected. After the **EH 36** rotated, no further deformation in the material near the weld occurred. This was possibly the effect of strain hardening occurring as a result of the rotation. Further analysis using **FEA,** with the new assumption of strain hardening was done in both the **2D** and **3D** cases.

The new **2D FEA** results shown in Figures **15** and **16** show the strain hardening resisting further shear banding near the weld, and causing the material to neck elsewhere. This was consistent with the results of the experiment.

Figure 15. 2D FEA analysis of EH36 without Strain hardening (30% offset)

Figure 16. 2D FEA analysis of EH36 with Strain hardening (30% offset)

A 3D FEA model was also created with strain hardening accounted for. The results with this model are shown in Figure **17.** The failure mode evident in this **FEA** model is nearly the same as that experienced in all of the experiments.

Figure 17. 3D FEA Model of EH36 with Strain Hardening (30% offset). The gauge length is denoted by L.

A comparison of the results from SLFM and **FEA,** comparing rotation angle versus normalized elongation is shown in Figure **18.** The dashed lines shown represent the boundaries of the spread of the experimental results that were observed during the testing. It is not certain as to the reason for the sharp rise in **FEA** that occurs around a normalized elongation of **0.01,** although it does taper off due to strain hardening as expected.

The rotation of the offset welds was measured using a thin metal wire and recorded using digital photographs. The metal wire was attached to the weld using an epoxy. During the experiment, digital photographs were taken at **30-**

second intervals. Rotation was then calculated **by** comparing the wire's orientation in the sequential pictures to the initial orientation.

Figure 18. Weld rotation versus Normalized Elongation of overmatched EH36 (30% offset). Cessation of weld rotation occurred and is represented by the dashed lines.

A comparison of the results from **SLT, FEA,** and experiments regarding the applied load per area versus normalized elongation is shown in Figure **19.** The approximate area where the applied forces became aligned and the weld stopped rotating is annotated as "Aligned". The approximate area where the material became rigid is annotated as "Rigid".

Figure 19. Load per Area vs. Normalized Elongation of overmatched EH-36 with strain hardening. (30% offset).

It **is** noted that there was thinning of the specimens near the weld. This was more pronounced for the evenmatched **AL6XN** than for the overmatched **EH-36.** Further thinning was arrested **by** the strain hardening that occurred during the weld rotation. Analyzing the **30%** offset cases, from an original thickness of **0.25** inches, the **AL6XN** had thinning near the weld to **0.23** inches with increased localized thinning of an additional **0.0177** inches. The **EH-36,** with an original thickness of **0.25** inches, thinned down to 0.24 inches, with an increased localized thinning of an additional **0.0059** inches.

The **EH-36** had 4% thinning near the weld with an additional localized thinning of **2.3%.** The **AL6XN** had **8%** thinning near the weld with an additional localized thinning of **7.1%**

CHAPTER 5 DISCUSSION AND CONCLUSIONS

5.1 DISCUSSION

As expected the welds in the offset cases rotated in order to remove the offset and the resultant moment. However, this rotation caused strain hardening and thinning to occur in the base metal next to the weld region. This strain hardening resisted further shear bands from developing, and causing failure to occur away from the weld. The strain hardening dominated the thinning and resulted in failure away from the weld. The strain hardening limits loss of strength to at most **3%** for welds with offsets up to **30%.** Only tensile loads were studied.

Slip Line Theory **(SLT)** was useful in giving closed form expressions for the deformation and rigid body motions near an offset weld and Finite Element Analysis **(FEA)** included more realistic geometry and strain hardening. The

rotation of the offset weld was on the order of **0.25** degrees per **%** of offset. **FEA** suggested some aspects of the field, which in turn guided mesh refinement. The **FEA** allowed the introduction of strain hardening. This synergism improves the prediction of the experimental results.

In two experiments, one each of **EH-36** and **AL6XN,** the extension was continued to complete separation. The failure occurred as necking in the parent plating away from the weld. It is not clear whether or not that this necking occurs under the plain strain condition in the weld direction that is typical of service. These failures were confirmed **by** the 3D-case simulated using **FEA.**

5.2 RECOMMENDATIONS FOR FURTHER STUDY

There is material available to create specimens for further testing. Enough **EH-36** exists to create at least **8** more specimens, and enough **AL6XN** for **3** more specimens. Based on the experimental result, further analysis using **FEA** and **SLT** can also be done to better understand and approximate the failure of ship hull plating with varying misfit and mismatch welds.

More attention should be paid to the **2D FEA** study as its boundary conditions more closely represent the actual boundary conditions of the ship hull plating. Also, more in depth **SLT** and **FEA** analysis of crack growth and sliding after the initial weld rotation removes the offset should be performed. **2D FEA** should be used to predict effects of mismatch and misfit with lower Tensile/Yield ratios.

45

Lastly, it would prove useful to perform **FEA** studies on more evenmatched and undermatched welds with the associated weld geometries to compare with these experiments.

5.3 CONCLUSIONS

For **EH-36,** with overmatched welds, there is no apparent reduction in strength for weld offsets up to **30%.** This should apply to other overmatched welded steels with similar Tensile/Yield ratios (~1.5).

For **AL6XN,** with evenmatched welds, there is no apparent reduction in strength for weld offsets up to **15%,** and there is at most a **3%** reduction in strength for weld offsets of up to **30%.** This slight reduction in maximum applied force/area can be attributed to variance in the experimental process. This should apply to other evenmatched welded steels with similar Tensile/Yield ratios (-2.0) .

For the overmatched **EH-36** welded plating, there is no apparent benefit of increased precision manufacturing with regards to welding with reduced misfit of ship hull plating based on the current standards **[8].** For the evenmatched **AL6XN** welded plating, it is inconclusive without further study whether any benefit could be gained from precision manufacturing.

CHAPTER 6 REFERENCES

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APPENDIX A SPECIMEN CALCULATIONS

Specimen dimension calculations for flat specimen:

Given:

Tensile Strength, **TS** of **EH-36**

TS = 78 kpsi

MTS test machine rating of 200 **kN** (44961 lbs).

Design to use only one-half of MTS machine rating, F.

$$
TS = \frac{P}{A}
$$

 $A = bh$

where **A** is the area, **b** is the specimen width, and **b** is the specimen thickness.

Solving for P,

 $P = A(TS) = (b in)(0.25 in)(TS Ibs/in²)$

P F _ *P* lbs 44961 lbs

A table for each of the specimens is shown.

For **EH-36:**

For **AL6XN:**

Thus the force, P, required to break the specimen is approximately between one-

half and three-quarters of the capability of the machine.

APPENDIX B EH 36 PLATE SPECIMEN TEST DATA

Calibration Data:

Load in **Ibf** Extension in inches Gage length = 2.0 in

 ~ 10

Area **=** width * thickness thickness **= 0.25** in for all cases width **= 1.8** in for **30%** offset case width **= 1.6** in for **15%** offset case width **=** 1.4 in for **0%** offset case

Calculations:

Engineering Stress =
$$
\frac{Load(lbf)}{Area(in^2)}
$$

Gauge Strain (in/in) = $\frac{\text{Extension (in)}}{\text{S}}$ Gauge Length (in)

APPENDIX C AL6XN PLATE SPECIMEN TEST DATA

Calibration Data:

Load in **lbf** Extension in inches Gage length = 2.0 in

Area **=** width * thickness thickness **= 0.25** in for all cases width **=** 1.2 in for **30%** offset case width **= 1.05** in for **15%** offset case width **= 0.92** in for **0%** offset case

Calculations:

Engineering Stress =
$$
\frac{Load(lbf)}{Area(in^2)}
$$

Gauge Strain (in/in) = $\frac{\text{Extension (in)}}{\sqrt{2}}$ Gauge Length (in)

APPENDIX D BOUNDARY CONDITION CALCULATIONS

Evaluating [BC-1],

$$
EI\frac{d^2v(x=0)}{dx^2} = T\frac{mh}{2}
$$

which can be expressed as,

 $\sim 10^7$

$$
\frac{d^2v(x=0)}{dx^2} = \frac{T}{EI}\frac{mh}{2}
$$

and this can be expanded using equation to give us,

$$
\frac{d^2v(x=0)}{dx^2} = \left(\frac{1}{\lambda}\right)^2 B_3 e^{(0)/\lambda} + \left(\frac{-1}{\lambda}\right)^2 B_4 e^{-(0)/\lambda} = \left(\frac{1}{\lambda}\right)^2 B_3 e^0 + \left(\frac{-1}{\lambda}\right)^2 B_4 e^0 = \left(\frac{1}{\lambda}\right)^2 B_3 + \left(\frac{-1}{\lambda}\right)^2 B_4
$$

$$
\frac{d^2v(x=0)}{dx^2} = \frac{T}{EI} \frac{mh}{2}
$$

$$
\left(\frac{1}{\lambda}\right)^2 B_3 + \left(\frac{-1}{\lambda}\right)^2 B_4 = \left(\frac{1}{\lambda}\right)^2 [B_3 + B_4] = \frac{T}{EI} \frac{mh}{2}
$$

$$
B_3 + B_4 = \lambda^2 \frac{T}{EI} \frac{mh}{2} = \frac{EI}{T} \frac{T}{EI} \frac{mh}{2} = \frac{mh}{2}
$$

Evaluating [BC-2],

$$
v(x=0)=v_{\max}=\frac{mh}{2},
$$

substituting in equation, gives,

$$
v(x=0) = B_1 + B_2(x=0) + B_3e^{(x=0)/\lambda} + B_4e^{-(x=0)/\lambda} = B_1 + B_3 + B_4 = U_{\text{max}} = \frac{mh}{2}
$$

$$
B_1 + B_3 + B_4 = \frac{mh}{2}
$$

Evaluating **[BC-3],**

$$
v(x=L)=0
$$

substituting in equation, we get,

$$
v(x = L) = B_1 + B_2(L) + B_3 e^{(L)/\lambda} + B_4 e^{(L)/\lambda} = 0
$$

$$
B_1 + B_2 L + B_3 e^{L/\lambda} + B_4 e^{-L/\lambda} = 0
$$

Evaluating [BC-4],

$$
\frac{dv(x=L)}{dx} = 0
$$

substituting in equation **,** we get,

$$
\frac{dv(x=L)}{dx} = B_2 + \left(\frac{1}{\lambda}\right) B_3 e^{(L)/\lambda} + \left(\frac{-1}{\lambda}\right) B_4 e^{-(L)/\lambda} = 0
$$

$$
B_2 + \frac{1}{\lambda} B_3 e^{L/\lambda} - \frac{1}{\lambda} B_4 e^{-L/\lambda} = 0
$$

We now have 4 equations with 4 unknowns $(B_1, B_2, B_3,$ and B4):

$$
B_3 + B_4 = \frac{mh}{2}
$$

$$
B_1 + B_3 + B_4 = \frac{mh}{2}
$$

$$
B_1 + B_2L + B_3e^{L/\lambda} + B_4e^{-L/\lambda} = 0
$$

$$
B_2 + \frac{1}{\lambda} B_3 e^{L/\lambda} - \frac{1}{\lambda} B_4 e^{-L/\lambda} = 0
$$

 $\hat{\mathcal{A}}$

l,

T, **E,** I, **L,** *k,* and h are all known or measurable quantities.

APPENDIX E SERVICE CONDITION EVALUATION CONDITION

For the Service Condition, we have a very long bar where $L \rightarrow \infty$ (a very long bar with respect to the wavelength λ). As, $L \rightarrow \infty$, we can see that the boundary conditions must still hold.

BC-1: B₃ and B₄ still may have finite values (possibly zero) as $L \rightarrow \infty$.

$$
B_4 = \lambda^2 \frac{T}{EI} \frac{mh}{2} = \left(\frac{EI}{T}\right)^* \frac{T}{EI} \frac{mh}{2} = \frac{mh}{2}
$$

BC-2: B₁, B₃ and B₄ still may have finite values (possibly zero) as $L \rightarrow \infty$.

$$
B_1 + B_4 = \frac{mh}{2}
$$

BC-3 and BC-4: B₂ and B₃ must go to zero as $L \rightarrow \infty$, to prevent equation from "blowing up".

```
As L \rightarrow \infty,
terms with e^{-L/\lambda} \rightarrow 0terms with e^{L/\lambda} \rightarrow \inftyterms with Le^{-L/\lambda} \rightarrow 0 (by L'Hopital's rule)
terms with Le^{L/\lambda} \rightarrow \infty
```
Therefore, based on the terms expressed before,

As $L \rightarrow \infty$, $B_1 = 0$ $B_2 \rightarrow 0$ $B_3 \rightarrow 0$

$$
B4 \to \frac{mh}{2}
$$

Now our general solution becomes:

 \sim

$$
v(x) = B_1 + B_2x + B_3e^{x/\lambda} + B_4e^{-x/\lambda} = B_4e^{-x/\lambda} = \frac{mh}{2}e^{-x/\lambda}
$$

APPENDIX F DETERMINING SPECIMENT MEASUREMENTS

1. Shoulder region to be "stronger" than Neck region

 $P_s > P_n$

$$
(b_s)(h_s)(YS) > (b_n)(h_n)(\frac{2}{\sqrt{3}}TS)
$$

but,

 $h_{s} = h_{n}$

so,

 $(b_s)(YS) > (b_n)(\frac{2}{\sqrt{3}}TS)$ *b, 2 TS b, > YS*

therefore,

$$
b_s > \left(\frac{2}{\sqrt{3}} \frac{TS}{YS}\right) (b_n)
$$

2. Grip region to be "stronger" than Neck region

$$
P_g > P_n
$$

\n
$$
(b_g)(h_g)(\frac{2}{\sqrt{3}}YS) > (b_n)(h_n)(\frac{2}{\sqrt{3}}TS)
$$

\n
$$
(b_g)(h_g)(YS) > (b_n)(h_n)(TS)
$$

\n
$$
\frac{b_g}{b_n} > \frac{TS}{YS} \frac{h_n}{h_g}
$$

therefore,

APPLYING RESULTS FOR SPECIMEN CROSS SECTION

For EH-36 Steel

TS:= 78000 psi YS:= 56000psi

 \sim

bg := 1.96in

Case **1: m:= 0.000**

$$
\text{bn} := \left(\frac{\text{YS}}{\text{TS}} \cdot \frac{1 + \text{m}}{1}\right) \cdot \text{bg} \qquad \text{bn} = \text{min} \qquad \qquad \text{Let } \text{bn} := 1.40 \text{ in}
$$
\n
$$
\text{bs} := \left(\frac{2}{\sqrt{3}} \cdot \frac{\text{TS}}{\text{YS}}\right) \cdot \text{bn} \qquad \qquad \text{bs} = \text{min} \qquad \qquad \text{Let } \text{bs} := 2.30 \text{ in}
$$

Case 2:
$$
m := 0.150
$$

\n
$$
bn := \left(\frac{YS}{TS} \cdot \frac{1+m}{1}\right) \cdot bg \qquad bn = \mathbf{I} \cdot in
$$
\n
$$
bs := \left(\frac{2}{\sqrt{3}} \cdot \frac{TS}{YS}\right) \cdot bn \qquad bs = \mathbf{I} \cdot in
$$
\nLet $bs := 2.60 \text{ in}$

Case 3:
$$
m := 0.300
$$

$$
bn := \left(\frac{YS}{TS} \cdot \frac{1+m}{1}\right) \cdot bg \qquad bn = \mathbf{I} \text{ in } \qquad \text{Let } bn := 1.80 \text{ in } \text{ by } \mathbf{I} = 1.80 \text{ in } \text{ by } \mathbf{I} = 1.80 \text{ in } \text{ by } \mathbf{I} = 1.80 \text{ in } \text{ by } \mathbf{I} = 1.80 \text{ in } \text{ by } \mathbf{I} = 1.80 \text{ in } \mathbf{I} = 1
$$

For AL6XN Stainless Steel

TS:= ll2000psi YS:= 53000psi

bg := 1.96in

Case **1: m:=0.000**

$$
\text{bn} := \left(\frac{\text{YS}}{\text{TS}} \cdot \frac{1 + \text{m}}{1}\right) \cdot \text{bg} \qquad \text{bn} = \text{min} \qquad \qquad \text{Let } \text{bn} := 0.92 \text{ in}
$$
\n
$$
\text{bs} := \left(\frac{2}{\sqrt{3}} \cdot \frac{\text{TS}}{\text{YS}}\right) \cdot \text{bn} \qquad \qquad \text{bs} = \text{min} \qquad \qquad \text{Let } \text{bs} := 2.30 \text{ in}
$$

Case 2:
$$
m := 0.150
$$

YS -; **mb** bn **:= - .bg (TS I** bs **:=** ²**TS -** Y -bn **-Y S** bn = in bs = in Let bn := 1.05in Let bs :2.60in

Case 3: m:= **0.300 YS I + m}** bn := **- bg TS I** bs **:= -**)-bn **(V3YS** bn **=** . in bs **=** . in Let bn := 1.20in Let bs **:3.00** in

APPENDIX G DESIGN SCHEMATICS OF **TEST SPECIMENS**

Figure 20. **30%** offset case

15% Offset Case

Figure 21. **15%** offset case

Figure 22. **0%** offset case

APPENDIX I AL6XN ENGINEERING STRESS vs. GAUGE STRAIN

