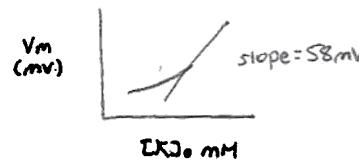


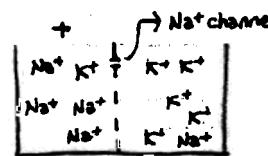
$E_K \sim V_r$ (not exactly, but close enough)

- change molar concentration on outside, see if E_K changes in predictable fashion
 - changing $[K^+]_o$ by factor of 10 changes E_K by 58mV
 - however, at lower values of $[K^+]_o$, something else happens



to determine resting potential, need to take into account E_{Na} as well as E_K

- 99 K^+ holes for each 1 Na^+ hole
error on terms of $\approx 10\%$.
- (high $[Na^+]$ trying to get through,
few channels to go through)



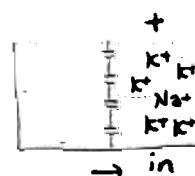
Nernst equation: $V_m = \frac{P_{K^+}/P_{Na^+} [K^+]_i + P_{Na^+}/P_{K^+} [Na^+]_i + P_{Cl^-}/P_{K^+} [Cl^-]_i}{\ln \frac{P_{K^+}/P_{Na^+} [K^+]_i + P_{Na^+}/P_{K^+} [Na^+]_i + P_{Cl^-}/P_{K^+} [Cl^-]_i}{[K^+]_o + [Na^+]_o + P_{Cl^-}/P_{K^+} [Cl^-]_o}}$ (weights concentrations): measure w/ radioactive K^+ or Na^+ , look at rate of diffusion

becomes Goldman equation (at high negative V_r , predicts V_r)

$[Na^+]_o$ so much higher than $[K^+]_o$ that adds appreciable current drive at lower $[K^+]_o$.

- resting potential from gradients + ion-selective channels + pumps

if Na^+ - permeable membrane only



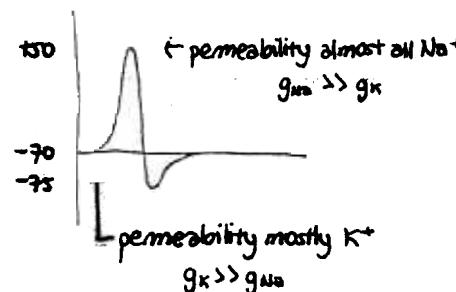
cell would be inside positive

$$V = 58mV \log \frac{[Na^+]_i}{[Na^+]_o}$$

$\approx 58 mV$ (pos. inside)

similar to top of action potential

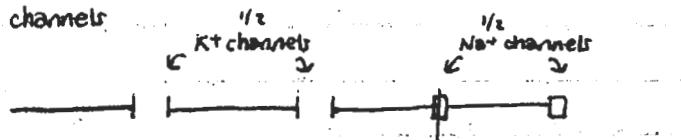
- action potential switches membrane conductance to ions



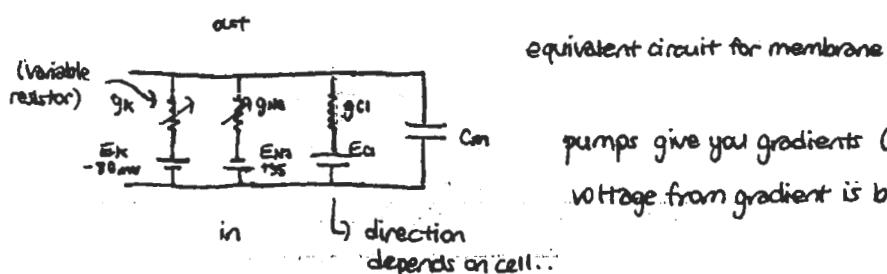
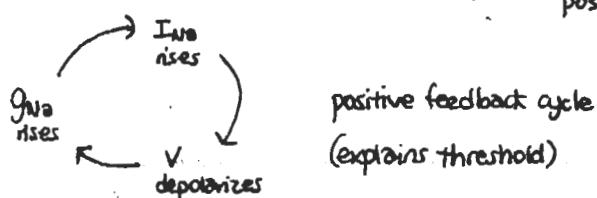
change outside concentration of Na^+ : removing $1/2 Na^+$ + replacing w/ impermeant ion decreases maximum of action potential

- switching of ion channel conductances based on threshold voltage (-58 mV)

- these are voltage-gated channels



Na^+ w/ depolarization,
depolarizes more,
positive feedback process



Ohm's Law for membranes -

$$I = \frac{V}{R} = \frac{V}{R_m}$$

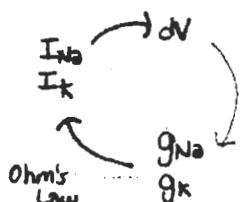
$$I = gV$$

$$I = I_K + I_{Na}$$

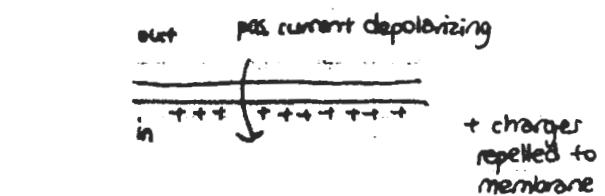
$$= g_K \left(\frac{V_m - E_K}{R_m} \right) + g_{Na} (V_m - E_{Na}) \quad (\text{Ohm's law for individual membrane currents})$$

inward flow of positive ions \rightarrow negative current
(textbook uses this convention, Hodgkin/Huxley use other)

when $V_m = 0$, g_K not 0, so must be proportional to where V_m is and where E_K wants it to be



know I , know $\frac{dV}{dt}$



current/
all charges come in to charge, dist discharge C_m
1 mol electrons must be compensated

$$Q = CV \quad (\text{definition of capacitance})$$

(voltage across plates \times voltage).

$$\frac{dQ}{dt} = \frac{dV}{dt} (C) \times V \frac{dC}{dt}$$

$$I = C \frac{dV}{dt}$$

\hookrightarrow no $\frac{dC}{dt}$ all lipid bilayer membranes have \sim same capacitance

$$= 1 \mu\text{F/cm}^2$$

$$m\Omega \times 1 \mu\text{F} = 1 \text{ s} \quad (\text{for RC time constants})$$

if you know I and C ,

know new voltage

- can reconstruct action potential
(measure g_{Na} , g_K)



\hookrightarrow see how g_{Na} , g_K vary w/ voltage

measuring these is holy grail

Hodgkin + Huxley experiments:

- measure g_K , g_{Na}

- but in unconstrained axon, $V_m(x_1)$, $V_m(x_2)$, $V_m(x_3)$ all different

$$\begin{array}{c} \diagup \quad \diagdown \\ V_{m(x_1)} \quad V_{m(x_2)} \quad V_{m(x_3)} \end{array}$$

problems:

1. spatial variation in V_m
2. temporal variation in V_m
3. how to separate I_K , $I_{\text{Na}}^?$

even in individual patch,
patch, V_m will change
(can't measure g as
fx of V_m)

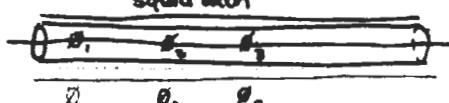
each patch at different
voltage, also influencing
each other (current flow
between them)

(don't know details)

will get Na^+ and K^+ currents; how to differentiate?
will only get one electrically measured current

1. H+H eliminated spatial variation in V_m by putting wire inside axon, close ones outside: short circuits changes in potential

Space clamp



all salt water outside close to
membrane will also be at
same potential

all inside will be at one potential!
b/c wire is good conductor, current
will flow to eliminate voltage
(Ohm's Law w/ hardly any R)

no electric field inside conductor

2. H+H used electronics to artificially damp V_m where they wanted it.

- inject currents I_n to keep V_m at one value (small values of $\mu A_s, nA_s$)

