Climber: A Vertex-Finder

VISION FLASH 38

by

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Abstract

A LISF program has been written which returns the location of a vertex in a suspected region, as well as an indication of the certainty of success.

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Vision flashes are informal papers intended for internal use.

This memo is located in TJ6-able form on file VIS; VF38 >.

INTRODUCTION

A LISP program has been written to find a vertex in a given region. It employs the Vinstor-Lerman circular scan (Vision Flash 23) in a two-process hill climb.

Past line-drawing programs assumed that vertices did not exist per se, but could be found only as the intersection of lines. This ore-level type of program meant that new information could only be found by a complete new line drawing.

This vertex finder, along with a program which d tects incoming lines at a vertex, and a line tracker, is used in the new CONNIVER program WIZARD, which produces accurate line drawings of complex scenes (Visior Flash forthcoming).

Wizard is capable of handling partial information when producing line drawings of complicated scenes.

FOW IT WORKS

The Correlations

CLIMPER uses a test pattern with one cuter circle and five inner circles. The change of intensity around the inner circles is corrared to the change of intensity of the outer circle.

Climber then moves to the center of mess of the vectors formed by these correlations. As the feature is approached the inner circles converge to accurately locate the vertex (see Figure 1).

Simple, Zero Mean Correlation- Phase I

$$\sum_{\theta=1}^{N} (I_{1}(\theta) - \overline{I}_{1}) \cdot (I_{2}(\theta) - \overline{I}_{2})$$

Normalized, Zero Mean Correlation- These II

$$\frac{\sum (I_{1}(\theta) - \overline{I}_{1}) \cdot (I_{2}(\theta) - \overline{I}_{2})}{\left[\sum (I_{1}(\theta) - \overline{I}_{1})^{2} \cdot \sum (I_{2}(\theta) - \overline{I}_{2})^{2}\right]^{\frac{1}{2}}}$$

Examination of the formulas shows that they can be written in alternative forms which speed up computation

$$\sum I_i \cdot I_z - \frac{\sum I_i \cdot \sum I_z}{n}$$

$$\frac{\sum I_{1} \cdot I_{2} - \frac{\sum I_{1} \cdot \sum I_{2}}{N}}{\left[\left\{\sum I_{1}^{2} - \left(\frac{\sum I_{1}}{N}\right)^{2}\right\} \cdot \left\{\sum I_{2}^{2} - \left(\frac{\sum I_{2}}{N}\right)^{2}\right\}\right]^{1/2}}$$

One final improvement was rade in the choice of correlation functions used. Assuming that the difference of the average intensity of the inner and outer circles is small, Clinber simply minimizes the sum of the absolute value of the difference of intensities.

min
$$\sum |I_1(\theta) - I_2(\theta)|$$

CLIMFER has been used successfully on textured objects.

Thanks to PHW, JEI, and NC.

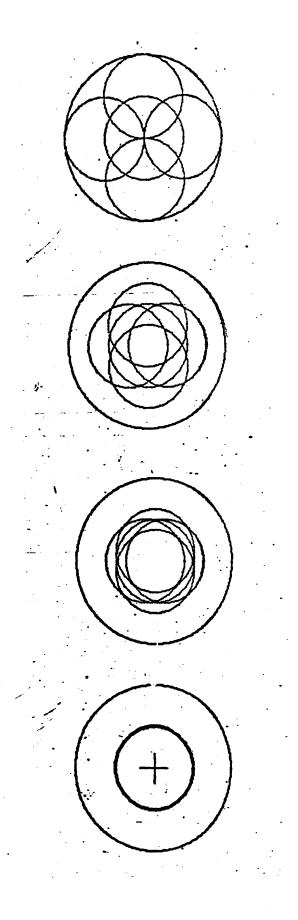


FIGURE 1: Circle Convergence